electrolyte. The above data are consistent with terminal attack of **SO2** and the formation of an intermediate species of the form



This species is then believed to lose C<sup> $-$ </sup> and to rearrange to the final product 3b, having a bridging  $SO<sub>2</sub>$  ligand. We have obtained similar results when  $CS_2$  instead of  $SO_2$  is used.<sup>34</sup> In this case the chemistry parallels that which we propose for the  $SO<sub>2</sub>$  complex except that the intermediate species have longer lifetimes (days) so detailed spectroscopic measurements can be (and have been) made supporting our proposed scheme for the  $SO<sub>2</sub>$  reaction.

(e) Site of  $SO_2$  Attack in  $\left[\text{Rh}_2(\text{CO})_2(\mu\text{-Cl})(\text{DPM})_2\right]^+$ . In these "A-frame" species there are two potential sites of attack, either directly at the enclosed site, bridging the metal centers, or at a terminal, exposed position remote from the bridging site. It has been shown that CO attacks **la** terminally, forcing one of the previously coordinated carbonyl ligands into the bridge.<sup>2,4</sup> Likewise CO appears to attack the  $SO_2$  "A-frame" complex **4** terminally since again no evidence was obtained for attack at the bridging site. In contrast,  $SO<sub>2</sub>$  appears to attack complex **1** directly at the bridging site, which has been shown to be open by the recent structural characterization of  $[Rh_2(CO)_2(\mu\text{-}Cl)(DPM)_2][BF_4]$ .<sup>5</sup> In support of this mode of attack, the infrared spectra obtained during the slow stepwise addition of *SO2* to **la** display no infrared bands assignable to bridging carbonyl species. On the basis of the analogous reaction of **1** with CO and the reaction of the trans-dichlorodicarbonyl species  $8$  with  $SO<sub>2</sub>$  (vide supra), both of which occur by terminal attack, we would have anticipated observing

(34) Cowie, M.; Dwight, **S.** K., to be submitted for publication.

species with bridging CO bands in the infrared spectra, if attack of 1 with  $SO_2$  were also terminal. Furthermore, even at -50 °C when the reaction is monitored by  ${}^{31}P{}_{1}{}^{1}H{}_{1}$  NMR the only resonances observed are assignable to the symmetric species **la** and **3a.** If attack were terminal, we would anticipate resonances assignable to an asymmetric species. We believe therefore that, on the basis of the above data, terminal attack of 1 by  $SO_2$  can be ruled out, since no asymmetric species were detected. Furthermore we feel that it is unlikely that a facile rearrangement is operating since we can devise no simple rearrangement mechanism that would yield the symmetric bridged species **3a** from terminal attack. The reason for the different modes of attack of  $CO$  and  $SO<sub>2</sub>$  in complex 1 is at the present time not obvious.

Although we now understand much about the modes of attack and coordination of  $SO<sub>2</sub>$  in these binuclear systems as well as some of the subsequent chemistry of these  $SO_2$  complexes, there are still some unanswered questions remaining, particularly relating to the differences in the chemistries of **SO2** and CO in these systems. It is anticipated that our continuing investigations in this area will help answer some of these unanswered questions and will extend our understanding of the chemistry of binuclear metal complexes.

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**Supplementary Material Available:** Table IX, showing the idealized hydrogen parameters and a listing of the observed and calculated structure amplitudes (25 pages). Ordering information is given on any current masthead page.

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## **Stereochemical Rigidity and Isomerization in B4H4 and B4F4. A Theoretical Study**

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The degenerate rearrangement of both tetrahedral  $B_4H_4$  and  $B_4F_4$  along a least-motion pathway passes through a square-planar midpoint structure. This rearrangement is accompanied by an orbital crossing of the HOMO-LUMO type which is responsible for the imposition of a sizable barrier to the process. Both approximate and ab initio calculations including correlation were performed to characterize the pathway for these rearrangements. For  $B_4H_4$  a barrier of approximately 85 kcal/mol is calculated while a smaller barrier is predicted for  $B_4F_4$ . For both molecules the square midpoint structure may be a stable intermediate along the reaction pathway.

**As** part of a continuing study of rearrangements in closo boron hydrides, $2^{-4}$  we report here on the nature of the stereochemical rigidity in  $B_4X_4$  (X = H, F). The degenerate rearrangement of  $B_4X_4$  provides the ultimate example of a diamond-square-diamond (dsd) transformation<sup>5</sup> in a small





system (Scheme **I).** Previous theoretical studies have not considered the nature of the square midpoint structure nor the nature of the electronic reorganization required for the dsd transformation in  $B_4X_4$ .

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*a* Differences are expressed in units of kcal/mol. HF results with STO-3G basis **(W.** J. Hehre, R. F. Stewart, and J. **A.** Pople, *J. Chem.*  <sup>4</sup> Differences are expressed in units of kcal/mol. <sup>b</sup> HF results with STO-3G basis (W. J. Hehre, R. F. Stewart, and J. A. Pople, *J. Chem.*<br>Phys., 51, 2657 (1969)). <sup>c</sup> HF results with a double-*f* basis (T. H. Dunning I and II. <sup>*e*</sup> Limited CI (18 single and 126 double excitations from HF wave function) using PRDDO integral list.



**Figure 1.** Localized molecular orbital structures for **B4H4.** 

The localized molecular orbital (LMO) structures<sup>6</sup> for  $B_4H_4$ are presented in Figure 1. The framework LMO's for  $B_4F_4^3$ are qualitatively identical with those for  $B_4H_4$ . Although the framework orbitals within each structure are equivalent, they span different representations of the  $D_{2d}$  subgroup that is common to both the tetrahedral  $(T_d)$  and square-planar  $(D_{4h})$ structures. For the  $T_d$  structure the framework LMO's span an  $a_1$  + e +  $b_2$  representation of  $D_{2d}$  while for the  $D_{4h}$  structure they span an  $a_1 + e + b_1$  representation. Thus, an orbital crossing must occur along the least motion path connecting these two structures. The situation in terms of the symmetry orbitals is depicted in Figure 2. The HOMO of the  $T_d$ structure is a triply degenerate  $t_2$  orbital, and only the  $b_2$ component is depicted. It is clearly a bonding orbital for the **B1,B2** and B3,B4 pairs of boron atoms. **As** the tetrahedron is flattened in the sense of Scheme I, the degeneracy is lifted and the b<sub>2</sub> orbital energy rises ultimately correlating with the LUMO of the  $D_{4h}$  structure. The HOMO of the  $D_{4h}$  structure has  $b_1$  symmetry under the  $D_{2d}$  subgroup and *is* a bonding orbital for adjacent borons in the square but an antibonding orbital for catty-cornered borons. Thus, its energy rises as the catty-cornered borons approach one another during the  $D_{4h}$ to  $\overline{T}_d$  transformation ultimately correlating with a component  $\overline{0.4}$   $-99.640$  0.998 -0.056 -99.850 0.932 of the e-type LUMO of the  $T_d$  structure.

For a quantitative characterization of the potential energy surface for the dsd transformation of  $B_4H_4$ , the limiting geometries were first completely optimized at the Hartree-Fock (HF) level by using the PRDDO approximation.<sup>11</sup> The op-<br>timized geometries and energies are given in Table I. Due<br>the natural orbital representation of the GVB wave function.<sup>12</sup>

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**Figure 2.** MO correlation diagram for the  $T_d$  to  $D_{4h}$  transformation of  $B_4F_4$ . For  $B_4H_4$  the  $b_{2g}$  and  $e_u$  orbitals of the  $D_{4h}$  structure are interchanged. Symmetry designations on tie lines are for the  $D_{2d}$ subgroup of both  $T_d$  and  $D_{4h}$ . Only the contributions from the boron atoms are shown.

Table II. Energy of  $B_4H_4$  along the Linear Synchronous Transit Pathway

		GVB coeff <sup>a</sup>		$E(Cl),^b$	$Cl$ coeff <sup><math>c</math></sup>		
R	au	$\mathbf{I}$	∙ 11-	au		Н	
$0.0(T_{d})$				$-99.690$ 0.999 $-0.027$ $-99.890$ 0.941			
0.2				$-99.678$ 0.999 $-0.029$ $-99.882$ 0.938			
0.4	$-99.640$ 0.998 $-0.056$ $-99.850$ 0.932						
0.6				$-99.588$ 0.958 $-0.288$ $-99.803$ 0.926			
0.7				$-99.591$ 0.192 $-0.981$ $-99.774$ 0.913 $-0.103$			
0.8				$-99.605$ 0.104 $-0.995$ $-99.755$ 0.392 $-0.867$			
0.9				$-99.617$ 0.075 $-0.997$ $-99.763$ 0.086 $-0.953$			
	$1.0(D_1)$ $-99.627$ $0.060$ $-0.998$ $-99.770$ $-0.956$						

These calculations were carried out with an STO-3G basis.  $\frac{b}{c}$  Includes all single and double excitations within valence space from configurations I and II.  $\frac{c}{c}$  CI coefficients were not printed if the estimated cludes all single and double excitations within valence space from configurations I and II.  $\degree$  CI coefficients were not printed if the estimated contribution to the energy lowering was less than  $10^{-4}$ <br>au.

to the orbital crossing a minimum of two configurations is required to describe the wave function along the transformation pathway. Thus, two-configuration SCF calculations were performed by using the GVB procedure<sup>12</sup> for several points

<sup>(6)</sup> These structures were obtained by using the Boys criterion<sup>7</sup> as described in ref 8. in ref 8.

<sup>(1972).</sup> 



**Figure 3.** Total energy of two-configuration SCF (designated GVB) and CI wave functions for  $B_4H_4$  along the linear synchronous transit pathway. Energies are from Table 11.

along a linear synchronous transit (LST) pathway<sup>13</sup> connecting the  $T_d$  and  $D_{4h}$  limiting structures. The configurations included are

$$
...t_2^6 = ...e^4b_2^2
$$
 (I)

$$
...e_{u}^{4}b_{2g}^{2} = ...e^{4}b_{1}^{2}
$$
 (II)

where the symmetry designations on the left are those for the *Td* and *D4h* groups, respectively, and those on the right are those for the  $D_{2d}$  subgroup common to both structures.

The results for the two-configuration SCF calculations are given in Table I1 and plotted in Figure **3. A** rather pronounced barrier of about 67 kcal/mol occurs at a path coordinate<sup>13</sup> of  $\sim$ 0.62 and corresponds to a change in the description of the wave function from predominantly configuration I to configuration 11. The electronic structure at this point has an unusual biradical character. One radical is localized along the 1-3 and 2-4 edges of the partially flattened tetrahedron while the other is localized along the 1-4 and 2-3 edges (see Scheme I).

CI calculations were performed for points along the LST path by including all single and double excitations from the occupied valence orbitals of configurations I and 11. Inclusion of this additional correlation delays the barrier to a path coordinate of  $\sim$  0.80, raises the barrier for the  $T_d \rightarrow D_{4h}$ transformation to 85 kcal/mol, and, due to the extra correlation stabilization enjoyed by the more compact  $T<sub>d</sub>$  structure, raises the overall energy change for the transformation from an HF value of 39.0 to 75.0 kcal/mol (Table I). Of course it is possible that orthogonal optimization of the "transition state" will remove the barrier for the  $T_d \rightarrow D_{4h}$  transformation, but the existence of such a barrier seems consistent with the observed orbital crossing.

Somewhat surprisingly when the  $T_d$  and  $D_{4h}$  structures of B4F4 were optimized at the PRDDO level (Table I), the *D4h*  structure was found to be most stable. Therefore, we performed limited CI calculations at the PRDDO level of approximation as well as double- $\zeta$  HF calculations of an ab initio nature on both of the limiting forms. **As** Table I reveals, the more compact  $T<sub>d</sub>$  structure was favored by both of these more sophisticated calculations though the preference for the  $T_d$ structure is still significantly less strong than was the case for  $B_4H_4$ . The reason that the planar  $D_{4h}$  structure of  $B_4F_4$  is more stable than that of  $B_4H_4$  relative to the corresponding  $T_d$ structures may be ascribed in part to the enhanced degree of

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Table **III.** Population Analyses<sup>a</sup> of PRDDO Wave Functions

struct	atomic charge		degree of bonding		total valency	
$T_{\boldsymbol{d}}$ $D_{4h}$	в, Н. Β, н,	$-0.001$ 0.001 0.039 $-0.039$	A. $B_4H_4$ $B, -B,$ $B, -H,$ $B, -B,$ $B_1 - B_2$ $B, -H,$	0.879 0.986 0.008 0.996 0.988	В н В Н	14.546 3.999 11.990 3.995
$T_{d}$ $D_{4}h$	в, F, $B_{1}$ F,	0.075 $-0.075$ 0.074 $-0.074$	B. B <sub>a</sub> F <sub>a</sub> $B, -B,$ в, -F, B,-B, $B, -B$ B, -F,	0.760 1.218 0.021 0.940 1.331	В F В F	14.678 5.661 13.208 5.635

*a* Reference **14.** 

bonding14 enjoyed by the BF bonds in the planar structure of  $B_4F_4$  (Table IIIB). No such enhancement is observed for  $B_4H_4$ . Furthermore, although the valency<sup>14</sup> within the boron  $B_4F_4$  (Table IIIB). No such enhancement is observed for  $B_4H_4$ . Furthermore, although the valency<sup>14</sup> within the boron framework of both  $B_4F_4$  and  $B_4H_4$  decreases in the  $T_d \rightarrow D_{4h}$  *term formation* the decreas transformation, the decrease is considerably less in both an absolute and a relative sense for  $B_4F_4$ . Of course, a detailed population analysis of our double- $\zeta$  results for  $B_4F_4$  may have diminished the differences between  $B_4F_4$  and  $B_4H_4$  in this respect, but qualitatively we expect the same trends to hold.

Two-configuration SCF calculations performed at the PRDDO level for  $B_4F_4$  at various points along the  $T_d \rightarrow D_{4h}$ pathway reveal a substantial barrier for passage in both directions. The maximum on the LST path relative to the  $T_d$ structure is about **44** kcal/mol and about 61 kcal/mol relative to the  $D_{4h}$  structure. Inclusion of correlation effects is expected to substantially increase the former figure.

 $B_4Cl_4$ , the only known borane possessing the  $B_4X_4$  composition, has a tetrahedral structure in the crystalline phase.<sup>15</sup> This is consistent with our double- $\zeta$  results for B<sub>4</sub>F<sub>4</sub>. However, due to the relatively small energy differences calculated for the planar and tetrahedral forms of  $B_4F_4$  and the likelihood of a substantial energy barrier separating them, we are led to propose that  $B_4F_4$  (once synthesized) and  $B_4Cl_4$  will exist under proper conditions as either the tetrahedral or the planar isomer or a mixture of both.

In contrast to  $B_4H_4$  and  $B_4F_4$  with their high barriers to degenerate rearrangement stand the highly fluxional closo boron hydrides such as  $B_8H_8^{2-3}$  and  $B_{11}H_{11}^{2-2}$ . In neither of the latter cases is a HOMO-LUMO crossing required for degenerate rearrangements. These results prompt us to hypothesize that degenerate rearrangements of rigid closo boron hydrides involve HOMO-LUMO-like crossings or intended crossings, while rearrangements of fluxional members of this homologous series suffer no such requirement.

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